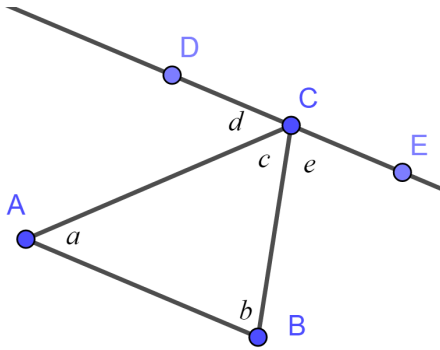


Proof of theorem 57:

Let  $\triangle ABC$  be a triangle.

By [look up the correct theorem number here], there exists a line that is parallel to  $\overleftrightarrow{AB}$  that goes through the point  $C$

Name points  $D, E$  and angle measures  $a, b, c, d, e$  as shown on the diagram:



By Axiom 7 (considering transversal  $\overleftrightarrow{AC}$ ),  $a + (c + e) = 180^\circ$  so by theorem 54  $a = d$

By Axiom 7 (considering transversal  $\overleftrightarrow{BC}$ ),  $b + (c + d) = 180^\circ$  so by theorem 54  $b = e$

By Theorem 25, a straight angle has measure  $180^\circ$ , so  $d + c + e = 180^\circ$

By substitution  $a + b + c = 180^\circ$