

Geometry Test 2, what to study:

Proving that distance-defined shapes are preserved under an isometry.

(like theorem 1)

Proving results about ordered points. For example:

- Theorem 2 (if 4 sets have an order then they also have the opposite order)
- Prove 4 ordered points are collinear (theorem 3)
- Prove that if  $A - B - C - D$  then  $C \in \overline{BD}$ , using results up to and including thm. 4.

Prove theorems about lines (theorems 3-10) or parts of those theorems.

Note, one part of theorem 5 might be asked for without the others, For example:

- Prove that if  $K - L - M - N$  then,  $d(K, L) + d(L, N) = d(K, N)$ ,  $d(K, M) + d(M, N) = d(K, N)$ , and  $d(K, L) + d(L, M) = d(K, M)$  (using up to and including thm 4)
- Prove that if  $d(K, L) + d(L, N) = d(K, N)$ ,  $d(K, M) + d(M, N) = d(K, N)$ ,  $d(L, M) + d(M, N) = d(L, N)$  and  $d(K, L) + d(L, M) = d(K, M)$  then each of  $K, L, M, N$  lie on each line defined by any other two of the four points. (using up to and including thm 4)

And only one point of theorem 4 might be asked for without the others, for example:

- Prove that if  $d(A, B) + d(B, C) = d(A, C)$ , then  $C \in \overline{AB}$

You might also be asked to prove this result (probably it should have been theorem 1.5 or something):

- $\overline{AB} = \overline{BA}$

I am planning to put 3-4 problems on this test, all of which will be some form of "prove that..."

1. A problem of the form: prove that the isometric image of a \_\_\_\_ is a \_\_\_\_\_
2. A problem that asks to prove a part of theorem 5
3. A problem that asks for the proof of one of theorems 6, 7, 8 or 9
4. ??? (I am undecided right now)
- 5.