

2. Draw what the manipulatives would look at this point in the long division algorithm.

$$\begin{array}{r} 35 \\ 4 \overline{) 1429} \\ \underline{-12} \\ 22 \\ \underline{-20} \\ 29 \end{array}$$

Explain what each of the numbers represents in the manipulatives and the problem:

- a. What is 4?
- b. What is 35?
- c. What is 29?

3. Draw what the manipulatives would look at this point in the long division algorithm.



$$\begin{array}{r} 4 \\ 6 \overline{) 2729} \\ \underline{-24} \\ 32 \end{array}$$

Explain what each of the numbers represents in the manipulatives and the problem:

- a. What is 6? *6 groups*
- b. What is 4? *400 in each group*
- c. What is 32? *32 tens waiting to be shared*

4. Draw what the manipulatives would look at this point in the long division algorithm.

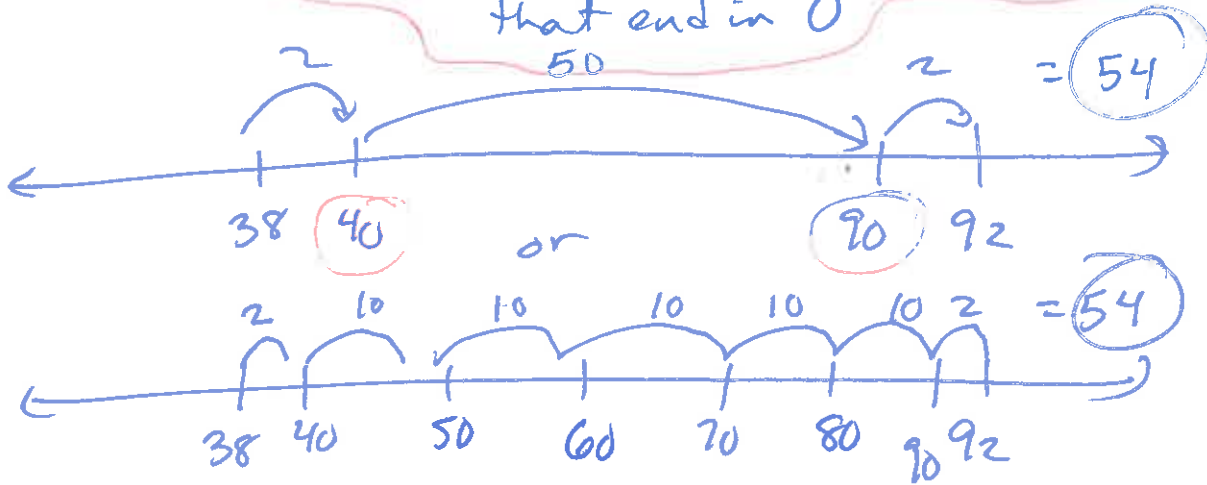
$$\begin{array}{r} 26 \\ 3 \overline{) 805} \\ \underline{-6} \\ 20 \\ \underline{-18} \\ 25 \end{array}$$

Explain what each of the numbers represents in the manipulatives and the problem:

- a. What is 3?
- b. What is 26?
- c. What is 25?

92-38

by adding up and using numbers that end in 0



36 + 29

add in place values and

Combine

$$30 + 20 = 50$$

$$\begin{array}{r} 6 + 9 = 15 \\ \hline 65 \end{array}$$

$$\begin{array}{r} 403 \\ -87 \\ \hline \end{array} \Rightarrow \begin{array}{r} 3 \\ \cancel{4}103 \\ -87 \\ \hline \end{array}$$

$$\Rightarrow \begin{array}{r} 3913 \\ \cancel{4}\cancel{0}\cancel{3} \\ -87 \\ \hline \end{array}$$

We need more 1's and we don't have any 10's.

So trade 100 for 10 10's.

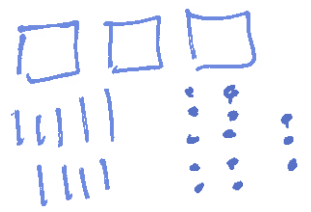
Then we have 300 and 10 tens



⇒



⇒



Now we can trade a ten for 10 1's.

Then we have 9 10's and $10+3=13$ 1's.

manipulatives
not required for question as
written

Exam review #2

Multi-digit multiplication

name: _____ class time: _____

1. Answer these questions as if you were explaining the process of multiplying with the standard algorithm and the reasons why to a student.

a. In the standard algorithm, we write a 0 place holder in the ones place of the second partial product. Explain where that 0 comes from and what it does.

5	6	4
×	3	8

0 ones

b. In the process of multiplying, we multiply the tens digit of 38 by the ones digit of 564: $3 \times 4 = 12$.

i. What place value should the digit 2 go in (tens or ones)? Why should we write it there?

because $3 \text{ tens} \times 4 = 12 \text{ tens}$

$30 \times 4 = 120$
 ↑ tens

ii. Where should we write the digit 1 (above which place value)? Why should we write it there?

- above the tens place

- Next we'll do tens x tens: $30 \times 60 = \text{hundreds}$

120
 ↑ hundred → add hundreds together

2. a. In the standard algorithm, we write a 0 place holder in the ones place of the second partial product. Explain where that 0 comes from and what it does.

	4	4	
1	3	7	8

Example from Thurs. class

We're working right to left.

The place value directly to the left of 56 "4" is the tens place.

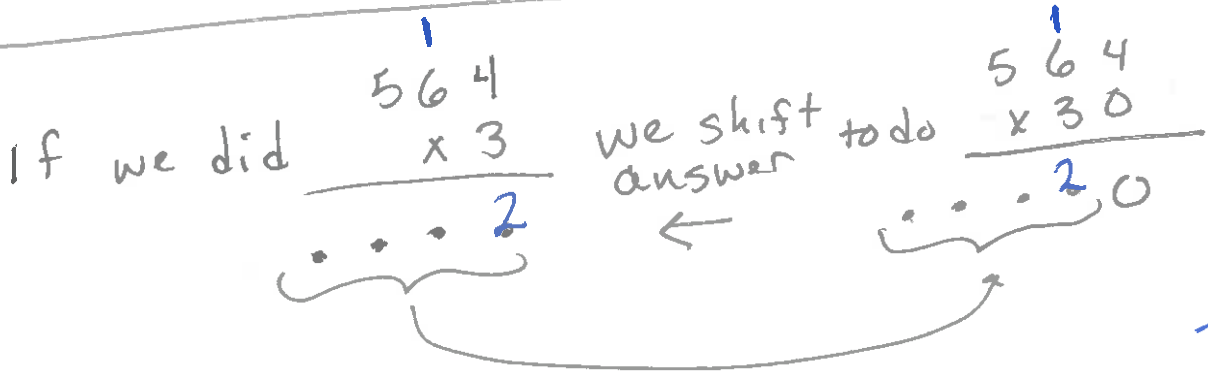
We're going to multiply by 60 next.

"1" stands for 100.

30 x 60 will be a number in the hundreds place.

We want to add 1 when we do 3x6

one explanation



$$\begin{array}{r} 11 \\ 53 \\ 564 \\ \times 38 \\ \hline 4512 \\ 16920 \\ \hline 21432 \end{array}$$

3x4 is really

$$30 \times 4 = 120 \quad \text{so}$$

2 goes in the tens place of the answer

1 is really 100.

It goes over the tens place of the problem, because when we do tens x tens = hundreds

so 1 (hundred) gets added to

30 x 60 = 1800 = 18 (hundred) (and ends up in the hundreds place of the answer)

another explanation